

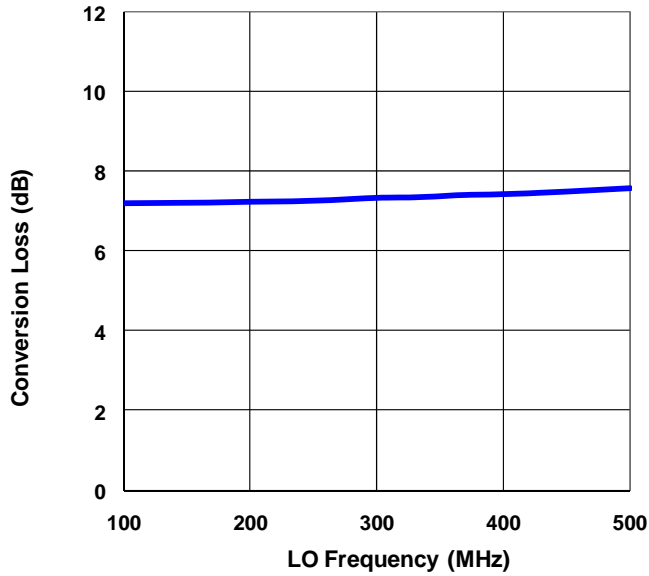




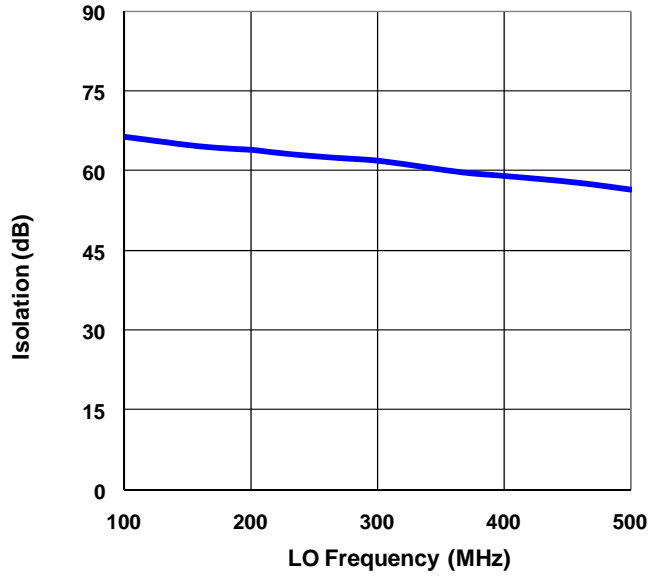
**TYPICAL PERFORMANCE CHARACTERISTICS**

Standard Test Conditions: +25°C, LO = +5 dBm, RF = 0 dBm @ LO+100 kHz.

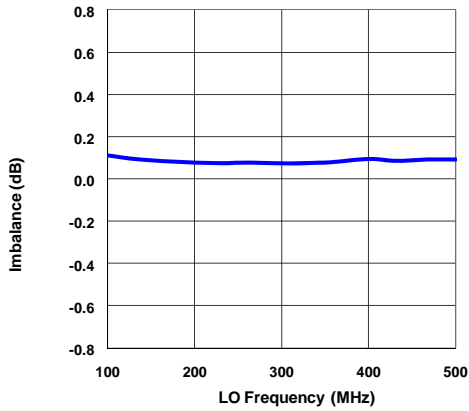
**Conversion Loss**



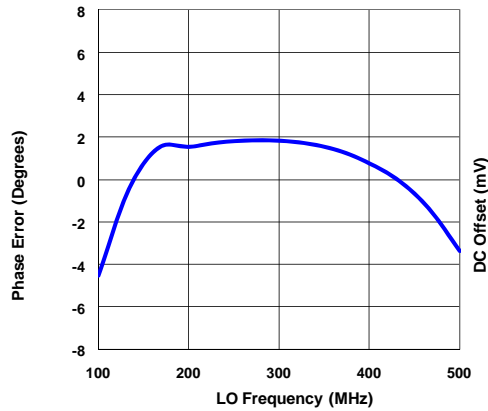
**LO-RF Isolation**



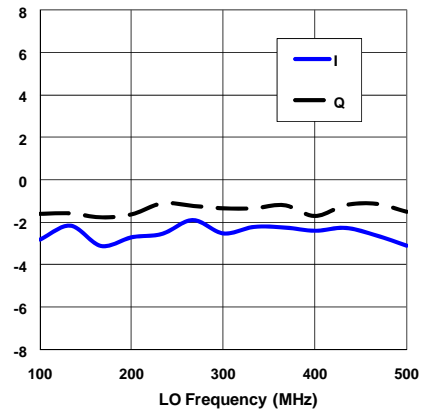
**Amplitude Imbalance**



**Quadrature Phase Error**



**DC Offsets**



## APPLICATIONS

### LO Input Drive Requirements

The AD0105B requires an LO signal be applied at +5 dBm nominal to demodulate the RF input. If the LO is pulsed, the I and Q outputs will be valid approximately 15 ns after the LO pulse is applied.

### Interfacing with Differential ADCs

The AD0105B's single-ended I and Q outputs can be interfaced with differential high-speed analog-to-digital converters (ADCs). Figure 1 shows a single-ended to differential amplifier circuit based on the ADA4927 from Analog Devices.

The differential amplifiers in Figure 1 are DC-coupled and have a -3 dB frequency bandwidth greater than 100 MHz. The  $V_{OCM}$  inputs should be connected to the common-mode voltage required by the ADC. The ADA4927s are configured for a voltage gain of 2, an input impedance of 50  $\Omega$  (single-ended), and an output impedance of 100  $\Omega$  (differential).

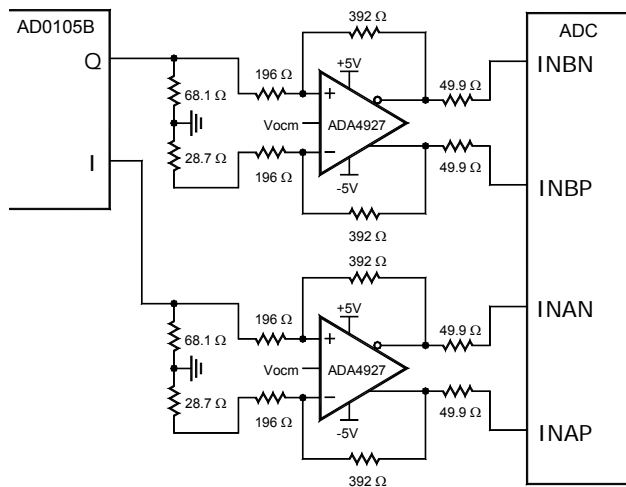


Figure 1. Differential ADC Interface

### I/Q DEMODULATION

The AD0105B converts an RF signal centered at the LO frequency into I and Q baseband outputs. To understand the process of I/Q demodulation, first consider the case of an ideal demodulator. The original RF signal is defined using the complex envelope representation:

$$z(t) = \mathbf{R} \left[ A(t) e^{j(2\pi f_c t + \phi(t))} \right] \quad (1)$$

$z(t)$  is the real time-domain signal present at the RF port of the demodulator centered at frequency  $f_c$ .  $z(t)$  has amplitude  $A(t)$  in volts and phase  $\phi(t)$  in radians. Both  $A(t)$  and  $\phi(t)$  are time-dependent.  $\mathbf{R} [ \ ]$  denotes taking only the real part of the expression.

$z(t)$  can be written in terms of two orthogonal signals,  $I(t)$  and  $Q(t)$ :

$$z(t) = \sqrt{2}I(t)\cos(2\pi f_c t) - \sqrt{2}Q(t)\sin(2\pi f_c t) \quad (2)$$

where

$$A(t) = \sqrt{I^2(t) + Q^2(t)} \quad (3)$$

and

$$\phi(t) = \arctan(Q(t), I(t)) \quad (4)$$

An ideal quadrature demodulator extracts the  $I(t)$  and  $Q(t)$  signals defined in (2). A real demodulator introduces several linear distortions including conversion loss, amplitude imbalance, quadrature phase error, I-axis phase rotation, and I/Q DC offsets. After applying these linear distortions, the real measured I and Q output signals are obtained:

$$\hat{I}(t) = C_I(\cos \theta_R I(t) - \sin \theta_R Q(t)) + B_I \quad (5)$$

$$\hat{Q}(t) = C_Q(\cos \theta_R \cos \theta_E Q(t) - \sin \theta_E I(t) + \sin \theta_R I(t)) + B_Q \quad (6)$$

$C_I$  is the I channel conversion loss factor,  $C_Q$  is the Q channel conversion loss factor,  $\theta_R$  is the I-axis phase rotation in radians,  $B_I$  is the I channel DC offset in volts,  $B_Q$  is the Q channel DC offset in volts, and  $\theta_E$  is the quadrature phase error in radians.

When the LO and RF frequencies are not equal,  $\theta_R$  can be set to 0 to simplify (5) and (6):

$$\hat{I}(t) = C_I I(t) + B_I \quad (7)$$

$$\hat{Q}(t) = C_Q (\cos \theta_E Q(t) - \sin \theta_E I(t)) + B_Q \quad (8)$$

$\theta_R$  is only important in applications when the phase difference between the RF and LO signals must be known (i.e. phase detector).

**Example:** Apply a 300 MHz CW LO signal at +5 dBm and a 300.001 MHz CW RF signal at -2 dBm. To estimate the AD0105B's  $\hat{I}(t)$  and  $\hat{Q}(t)$  signals, start by determining all the parameters in (7) and (8).

$C_I$  and  $C_Q$  are determined by the conversion loss and amplitude imbalance of the AD0105B. From the datasheet's typical performance plots at 300 MHz, use 7.5 dB conversion loss and 0.08 dB amplitude imbalance to find  $C_I$  and  $C_Q$  :

$$\frac{C_I + C_Q}{2} = 10^{(-7.5/20)} = 10.4217 \quad (9)$$

$$20 \log\left(\frac{C_Q}{C_I}\right) = 0.08 \quad (10)$$

$$C_I = 0.4198 \quad C_Q = 0.4236 \quad (11), (12)$$

Quadrature phase error and DC offsets are also obtained from the typical performance plots at 300 MHz:

$$\theta_E = 1.9 \text{Deg.} = 0.033 \text{Radians} \quad (13)$$

$$B_I = -0.0024 \text{V} \quad B_Q = -0.0015 \text{V} \quad (14), (15)$$

The next step in estimating  $\hat{I}(t)$  and  $\hat{Q}(t)$  is to calculate the ideal  $I(t)$  and  $Q(t)$  from the RF input signal. Given that the RF signal frequency is 1 kHz greater than the LO frequency,  $I(t)$  and  $Q(t)$  define an upper sideband tone of 1 kHz having a constant amplitude of:

$$\frac{A^2}{0.1} = 10^{(-2.0/10)} \quad (16)$$

$$A = 0.2512 \text{V} \quad (17)$$

From (3) and (17) we know:

$$I(t) = 0.1776 \cos(2\pi 1000t) \quad (18)$$

and

$$Q(t) = 0.1776 \sin(2\pi 1000t) \quad (19)$$

The final step in estimating  $\hat{I}(t)$  and  $\hat{Q}(t)$ , the demodulator's real I and Q outputs signals, is to insert (11), (12), (13), (14), (15), (18), and (19) into (7) and (8) giving the final result:

$$\hat{I}(t) = 0.0746 \cos(2\pi 1000t) - 0.0024$$

$$\hat{Q}(t) = 0.0752 \sin(2\pi 1000t + 0.033) - 0.0015$$